|                  | Geometry Curriculum Frameworks   First Nine Weeks   1. Enduring Understanding - Points, lines, and planes are the foundations of geometry.   1a. Essential Question - Why are point, line, and plane the undefined terms of geometry?                                   |  |  |
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| 1. E             |   |  |  |
| 1a. E            |   |  |  |
| <u>LG.1.G.2</u>  | Represent <i>points</i> , <i>lines</i> , and <i>planes</i> pictorially with proper identification, as well as basic concepts derived from these undefined terms, such as segments, rays, and <i>angles</i>  |  |  |
| 2. Endurin       | g Understanding - Valid inductive and deductive reasoning are used to develop and prove conjectures.  |  |  |
| 2a. Esse         | ntial Question - How are the foundations of logical reasoning used to develop and prove conjectures which can be applied to real-world situations?  |  |  |
| <u>LG.1.G.1a</u> | Define inductive and deductive reasoning  |  |  |
| LG.1.G.1b        | Make predictions based on real world situations using inductive reasoning   |  |  |
| <u>LG.1.G.3</u>  | Describe relationships derived from geometric figures or figural patterns   |  |  |
| <u>LG.1.G.1c</u> | Make predictions based on real world situations using deductive reasoning and appropriate strategies<br>such as but not limited to:<br>• Venn diagrams<br>• Matrix logic<br>• Conditional statements (statement, converse, inverse, contrapositive)                     |  |  |
| 3. En            | during Understanding - Linear relationships can be defined on the coordinate plane.   |  |  |
| 3a. Es           | 3a. Essential Question - How can coordinate geometry be used to write equations of lines?   |  |  |
| <u>CGT.5.G.1</u> | Use coordinate geometry to find the distance between two points, the midpoint of a segment, and the slopes of parallel, perpendicular, horizontal, and vertical lines   |  |  |
| <u>CGT.5.G.2</u> | Write the equation of a line parallel to a line through a given point not on the line.  |  |  |
| <u>CGT.5.G.3</u> | Write the equation of a line perpendicular to a line through a given point.   |  |  |
| <u>CGT.5.G.4</u> | Write the equation of the perpendicular bisector of a line segment.   |  |  |
| 4. Endurin       | g Understanding - Points, lines, and planes form the foundational properties of geometry.   |  |  |
| 4a. Essent       | 4a. Essential Question - How can geometric properties be used to prove relationships between lines and angles?  |  |  |
| <u>LG.1.G.4</u>  | Apply, with and without appropriate technology, definitions, <i>theorems</i> , properties, and <i>postulates</i> related to such topics as <i>complementary, supplementary, vertical angles</i> , <i>linear pairs</i> , and angles formed by <i>perpendicular</i> lines |  |  |
| <u>LG.1.G.5</u>  | Explore, with and without appropriate technology, the relationship between angles formed by two lines cut by a <i>transversal</i> to justify when lines are <i>parallel</i>   |  |  |
| <u>M.3.G.5</u>   | Identify and apply properties of and theorems about parallel and perpendicular lines to prove other theorems and perform basic Euclidean constructions  |  |  |

| Second Nine Weeks  |  |  |  |
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| 1. Enduring Understanding - Relationships that exist between the angles and segments of triangles can be proven. |  |  |  |
| 1a. Essential Question - How can the measure of the segments of triangles be applied to real world situations?   |  |  |  |
| <u>T.2.G.2</u>   | Investigate the measures of segments to determine the existence of triangles (triangle inequality theorem)   |  |  |
| <u>T.2.G.3</u>   | Identify and use the special segments of triangles ( <i>altitude</i> , <i>median</i> , angle <i>bisector</i> , <i>perpendicular bisector</i> , and <i>midsegment</i> ) to solve problems |  |  |
| 2. Enduring Understanding - Similar and congruent geometric figures have proportional attributes.                |  |  |  |
| 2a. Essential Question - How are triangle similarity and congruency applied and verified?                        |  |  |  |
| <u>T.2.G.1</u>   | Apply <i>congruence</i> (SSS) and <i>similarity</i> (AA) correspondences and properties of figures to find missing parts of geometric figures and provide logical justification          |  |  |
| 2b. Essential Question - How is similarity of geometric figures applied and verified?                            |  |  |  |
| <u>M.3.G.4</u>   | Use (given similar geometric objects) proportional reasoning to solve practical problems (including scale drawings)  |  |  |
| <u>LG.1.G.6</u>  | Give justification for conclusions reached by deductive reasoning  |  |  |
| 3. Enduring Understanding - The special properties of right triangles can be used to solve real world problems.  |  |  |  |
| 3a. Essential Question - How are right triangles used to measure indirectly?                                     |  |  |  |
| <u>T.2.G.4</u>   | Apply the Pythagorean Theorem and its converse in solving practical problems   |  |  |
| <u>T.2.G.5</u>   | Use the special right triangle relationships (30°-60°-90° and 45°-45°-90°) to solve problems   |  |  |
| <u>T.2.G.6a</u>  | Use trigonometric ratios (sine, cosine, tangent) to determine the lengths of sides in right triangles.   |  |  |
| <u>T.2.G.6b</u>  | Use trigonometric ratios (sine, cosine, tangent) to determine the measures of angles in right triangles.   |  |  |
| T.2.G.7  | Use similarity of right triangles to express the sine, cosine, and tangent of an angle in a right triangle as a ratio of given side lengths.   |  |  |
| <u>T.2.G.6c</u>  | Use trigonometric ratios (sine, cosine, tangent) in right triangle problems involving angles of elevation and depression.  |  |  |

| Third Nine Weeks   |   |  |  |
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| 1. Enduring Understanding - Properties of geometric figures can be verified.                                 |   |  |  |
| 1a. Essential Question - How can the properties of geometric figures be verified?                            |   |  |  |
| <u>R.4.G.2</u>   | Solve problems using properties of polygons: sum of the measures of the interior angles of a polygon, interior and exterior angle measure of a regular polygon or irregular polygon, number of sides or angles of a polygon |  |  |
| <u>R.4.G.1</u>   | Explore and verify the properties of quadrilaterals   |  |  |
| <u>CGT.5.G.5</u>   | Determine, given a set of points, the type of figure based on its properties (parallelogram, isosceles triangle, trapezoid)   |  |  |
| 2. Enduring Understanding - Relationships exist among the radius, secant, tangent, and chords of a circle.   |   |  |  |
| 2a. Essential Question - How can angles and intercepted arcs be applied to verify the properties of circles? |   |  |  |
| <u>R.4.G.5</u>   | Investigate and use the properties of angles (central and inscribed) arcs, chords, tangents, and secants to solve problems involving circles  |  |  |
| <u>R.4.G.6</u>   | Solve problems using inscribed and circumscribed figures  |  |  |
| CGT.5.G.6  | Write, in standard form, the equation of a circle given a graph on a coordinate plane or the center and radius of a circle  |  |  |
| 3. Enduring  | Understanding - When the linear dimensions of an object change, the volume and surface area change in a predictable way.  |  |  |
| 3a. E  | issential Question - How are the areas of polygons and circles related and applied?   |  |  |
| <u>M.3.G.2a</u>  | Solve application problems involving circumference, and perimeter of polygons and composite figures using appropriate units and formulas and expressing solutions in both approximate and exact forms.                      |  |  |
| <u>M.3.G.2b</u>  | Solve application problems involving area of circlues, polygons and composite figures using appropriate units and formulas and expressing solutions in both approximate and exact forms.                                    |  |  |
| <u>M.3.G.3a</u>  | Relate change in perimeter of a polygon or circumference of a circle to change in a linear dimension.   |  |  |
| <u>M.3.G.1</u>   | Calculate probabilities arising in geometric contexts (Ex. Find the probability of hitting a particular ring on a dartboard.)   |  |  |
| 1b. Esse   | ential Question - How are the surface areas and volumes of solids related and applied?  |  |  |
| <u>M.3.G.2c</u>  | Solve application problems involving surface area of prisms, cylinders, pyramids, and cones using appropriate units and formulas and expressing solutions in both approximate and exact forms.                              |  |  |
| <u>M.3.G.2d</u>  | Solve application problems involving area of surface areas of composite figures using appropriate units and formulas and expressing solutions in both approximate and exact forms.  |  |  |
| <u>M.3.G.2e</u>  | Solve application problems involving volume of prisms, cylinders, pyramids, and cones using appropriate units and formulas and expressing solutions in both approximate and exact forms.                                    |  |  |
| <u>M.3.G.2f</u>  | Solve application problems involving volume of composite figures using appropriate units and formulas and expressing solutions in both approximate and exact forms.   |  |  |
| <u>M.3.G.2g</u>  | Solve application problems involving surface area and volume of spheres using appropriate units and formulas and expressing solutions in both approximate and exact forms.  |  |  |
| <u>M.3.G.3b</u>  | Relate change in area of a polygon or surface area of a solid to change in a linear dimension.  |  |  |
| <u>M.3.G.3c</u>  | Relate change in volume of a solid to change in a linear dimension.   |  |  |

| Fourth Nine Weeks  |   |  |  |
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| 1. Enduring Understanding - Geometric transformations are functional relationships.  |   |  |  |
| 1a. Essential Question - How are geometric transformations represented as functional relationships?                          |   |  |  |
| CGT.5.G.7  | Draw and interpret the results of transformations and successive transformations on figures in the coordinate plane: translations, reflections, rotations (90 and 180 degrees, clockwise and counterclockwise about the origin), dilations (scale factor) |  |  |
| <u>R.4.G.3</u>   | Identify and explain why figures tessellate   |  |  |
| 2. Enduring Understanding - The properties of three-dimensional objects are related to those of two-<br>dimensional objects. |   |  |  |
| 2a. Essential Question - How are two dimensional relationships connected to the properties of two dimensional objects?       |   |  |  |
| <u>R.4.G.4</u>   | Identify the attributes of the five Platonic Solids   |  |  |
| <u>R.4.G.7a</u>  | Use orthographic drawings (top, front, side) to represent three-dimensional objects   |  |  |
| <u>R.4.G.8</u>   | Draw, examine, and classify cross-sections of three-dimensional objects   |  |  |
| <u>R.4.G.7b</u>  | Use isometric drawings (corner) to represent three-dimensional objects  |  |  |
| R.4.G.9  | Explore non-Euclidean geometries, such as spherical geometry and identify its unique properties which result from a change in the parallel postulate.   |  |  |